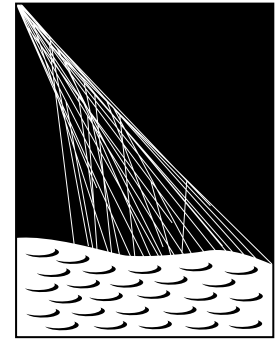




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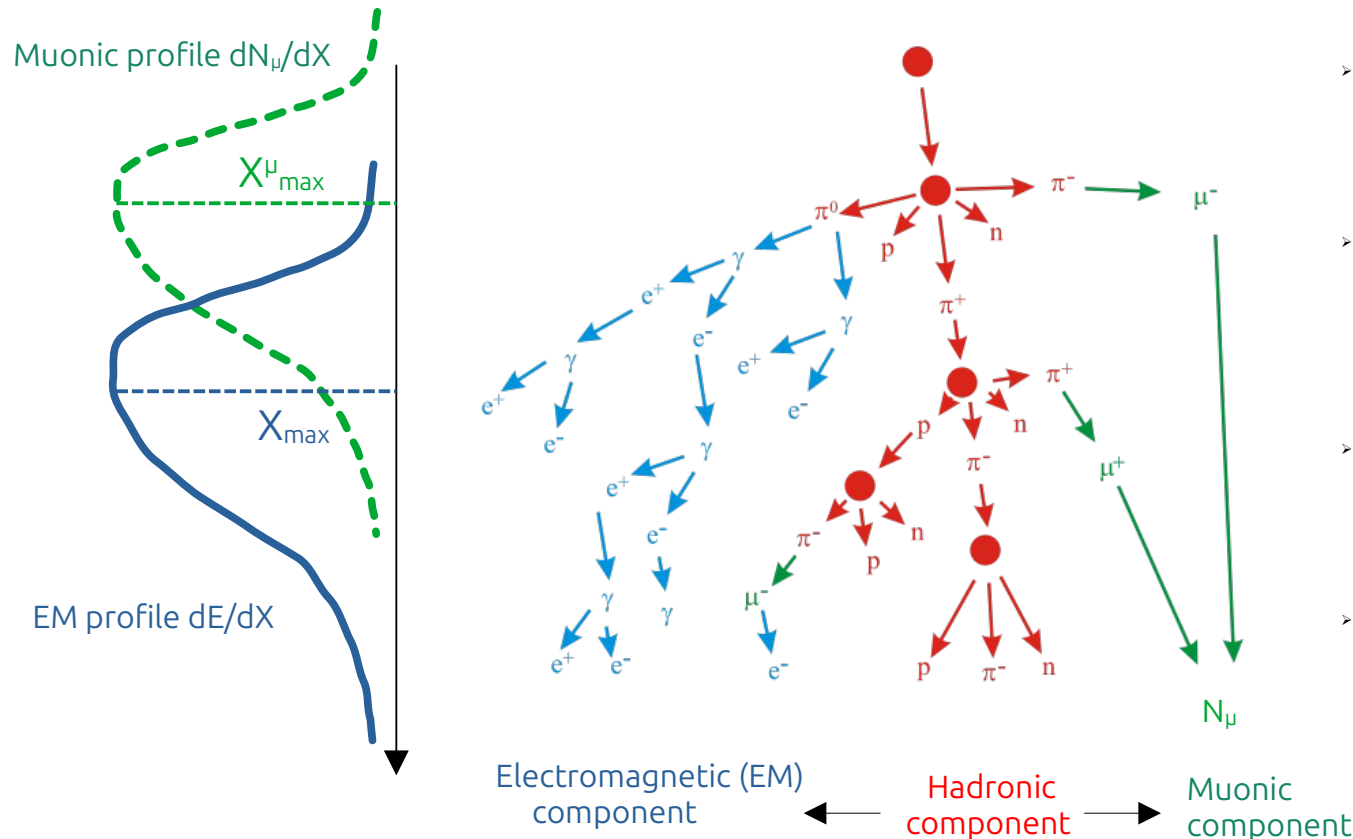
# Hadronic interaction studies at the Pierre Auger Observatory

Joaquín de Jesús for the Pierre Auger Collaboration

September 3<sup>rd</sup> - TeVPA 2026, Tendo, Japan

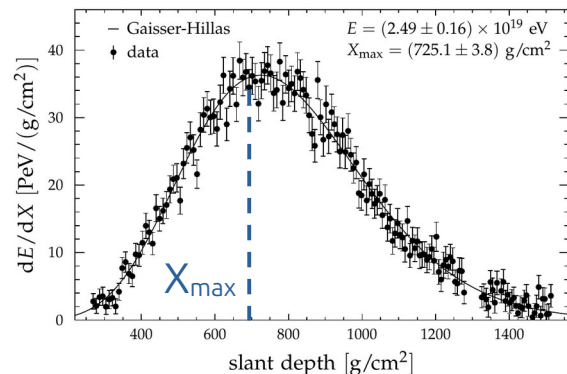
# Probing high-energy interactions with Extensive Air Showers (EAS)

$$E_{\text{CR}} \sim 10^{19} \text{ eV} \rightarrow \sqrt{s} \sim 140 \text{ TeV} \gg 14 \text{ TeV (LHC)}$$



- > EAS are unique laboratories for **hadronic interactions beyond accelerator energies**
- > Hadronic models are essential for interpreting cosmic-ray measurements → **testing and improving them is crucial.**
- >  $X_{\text{max}}$ ,  $X_{\mu\text{max}}$ , and  $N_{\mu}$  probe complementary aspects of shower development.
- > Their combined interpretation provides stringent **tests of hadronic models**

# Measuring EAS at the Pierre Auger Observatory



$$E_{CR} \propto \int_0^\infty \frac{dE}{dX} dX$$

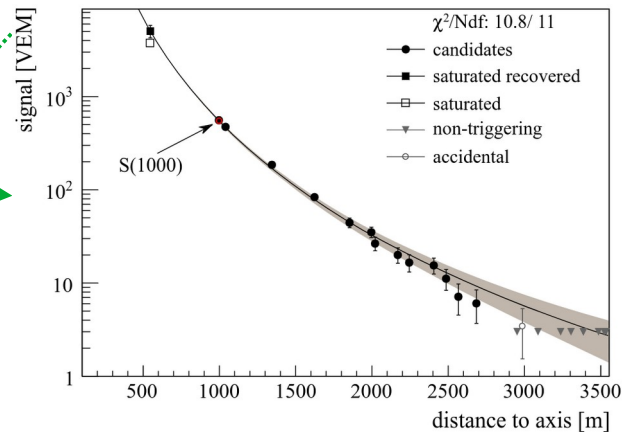
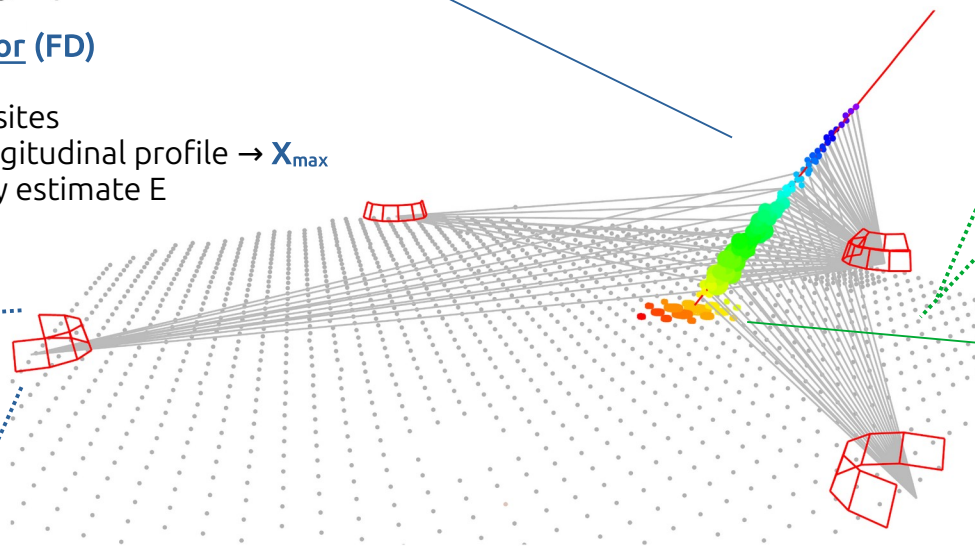
## Surface Detector (SD)

- 100 % duty cycle
- 1660 water-Cherenkov detectors over 3000 km<sup>2</sup>
- sensitive to shower footprint on ground →  $N_\mu$  and  $X_{\max}^\mu$



## Fluorescence Detector (FD)

- 15% duty cycle
- 27 telescopes in 4 sites
- sensitive to EM longitudinal profile →  $X_{\max}$
- calorimetric energy estimate E



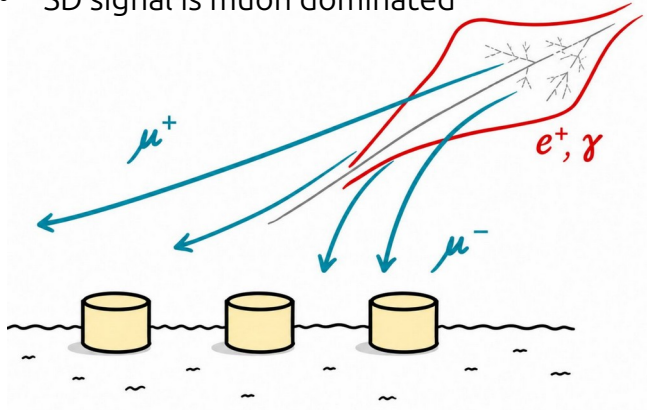
# Probing hadronic interactions at the Pierre Auger Observatory

- 1) Measurement of mean muon content  $N_\mu$  Phys. Rev. D 91 (2015) 032003
- 2) Measurement of fluctuations of the muon content  $N_\mu$  Phys. Rev. Lett. 126 (2021) 152002
- 3) Measurement of  $X_\mu^{\max}$  Phys. Rev. D 90 (2014) 012012
- 4)  $(X_{\max}, S_{1000})$  rescaling Phys. Rev. D 109 (2024) 102001

# Mean muon content in Inclined Air Showers

- Shower events with  $E > 4 \times 10^{18}$  eV and  $62^\circ < \theta < 80^\circ$

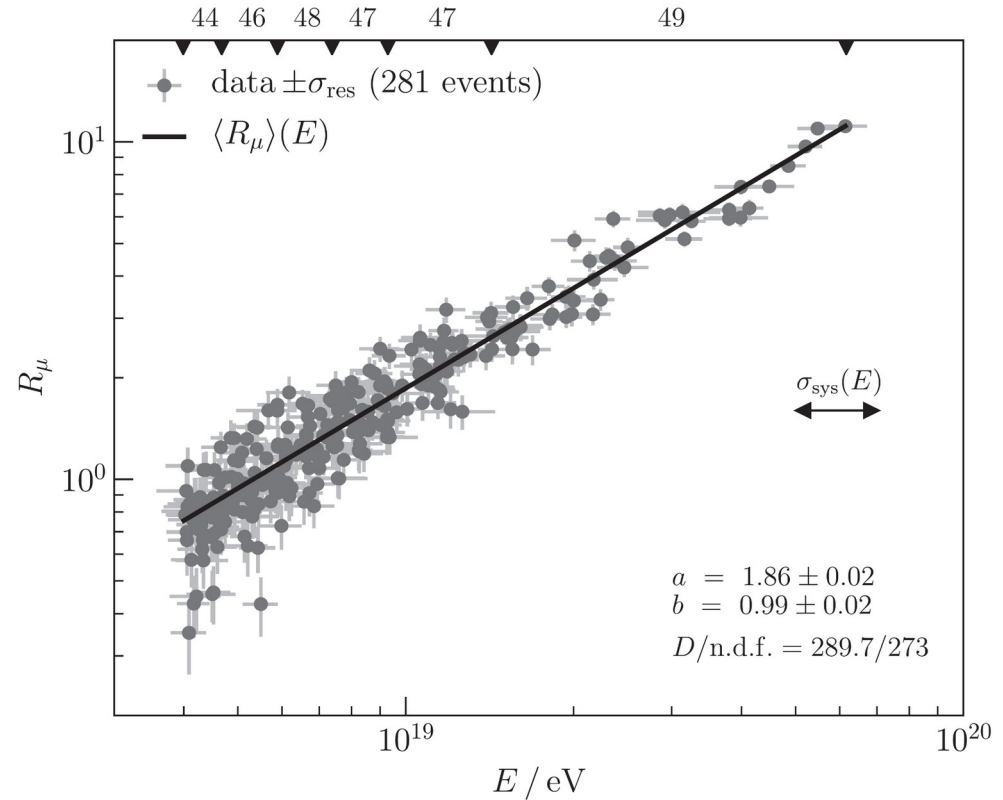
- EM component largely absorbed in the atmosphere
- SD signal is muon dominated



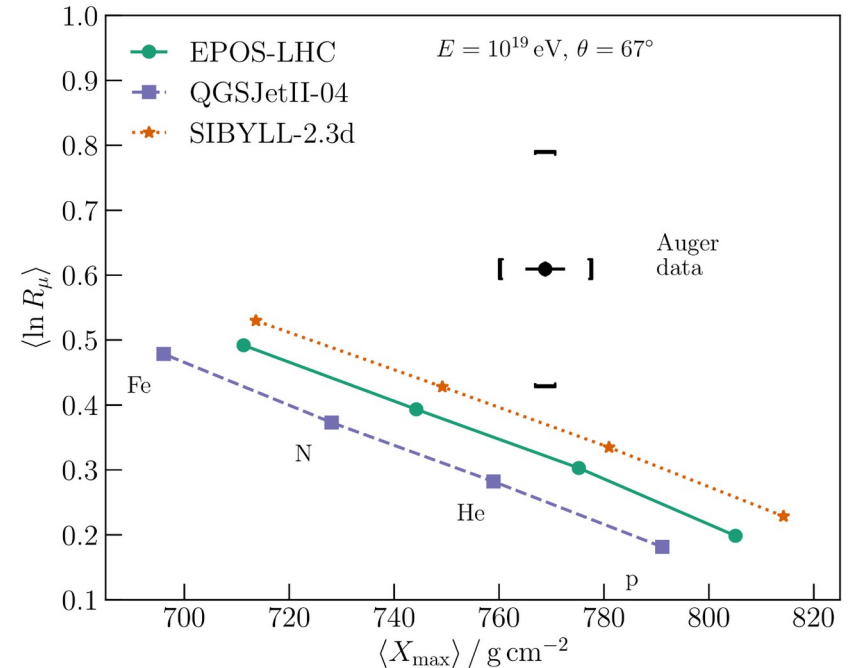
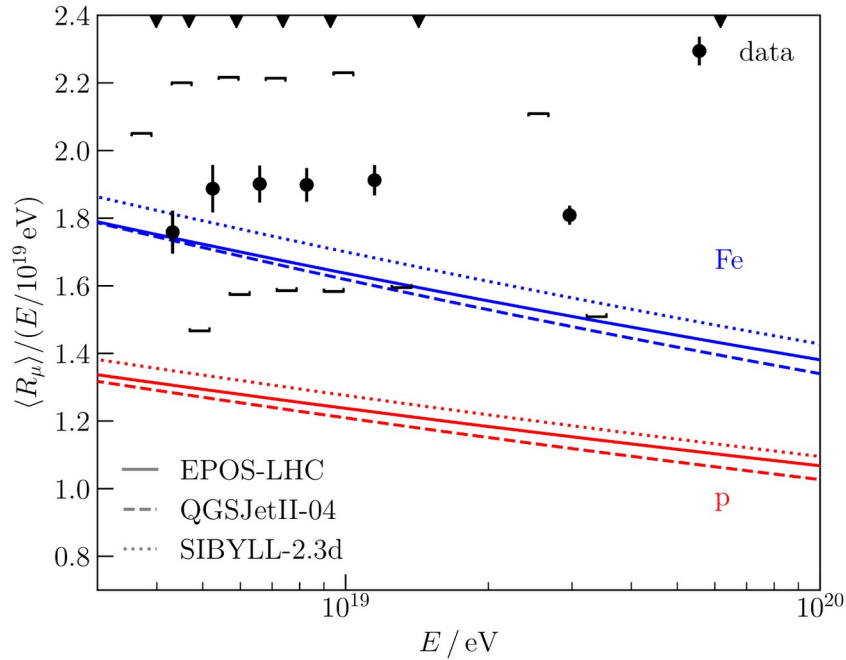
- Hybrid events: simultaneously observed by the FD and SD

- FD** → measures energy  $E$
- SD** → measures muon content  $R_\mu$  (integrated  $N_\mu$  at ground normalized by a reference value)

- $R_\mu$  is obtained by fitting the SD footprint to a reference 2D muon distribution

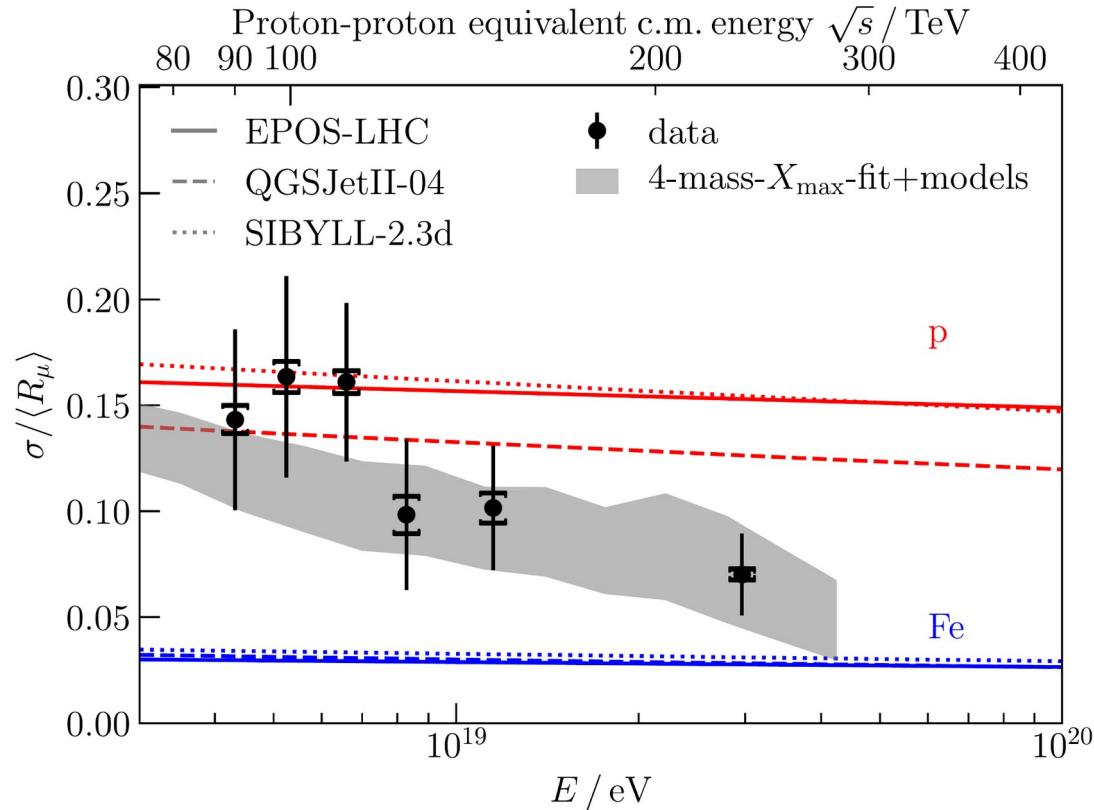


# Mean muon content in Inclined Air Showers



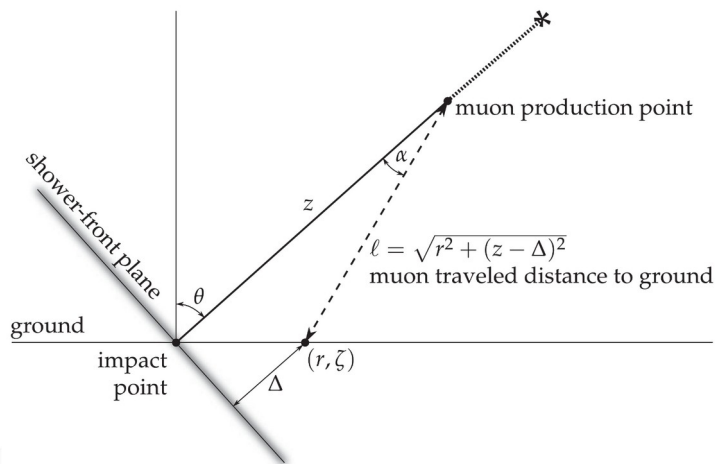
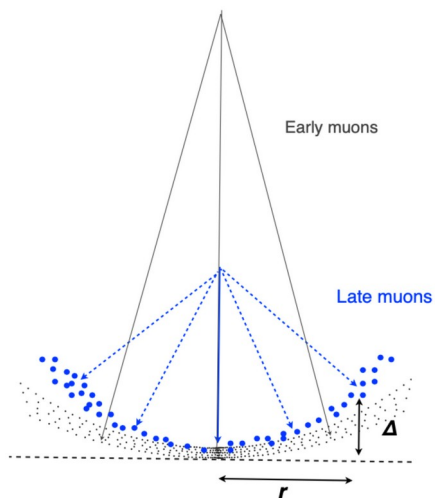
- **Models cannot simultaneously describe  $X_{\text{max}}$  and the mean muon content.**
- Assuming the composition inferred from  $X_{\text{max}}$ , **simulations underpredict the mean muon content:**
  - QGSJetII-04: +43% required
  - EPOS-LHC: +35%
  - Sibyll 2.3d: +26%

# Fluctuations in the muon content in Inclined Air Showers

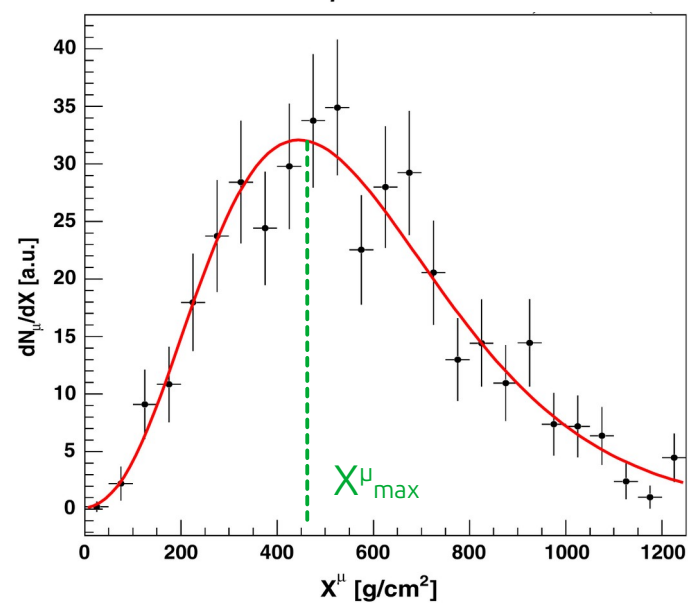


- Relative muon fluctuations are **consistent** with model expectations for  $X_{\max}$  mass composition
- Fluctuations are dominated by the first interaction, while  $\langle N_\mu \rangle$  accumulates effects over the full cascade.
- The muon deficit observed in  $\langle N_\mu \rangle$  is unlikely to arise from a large mismatch of the first interaction → **small mismatches accumulating throughout the cascade are favored.**

# Measurement of Muon Production Depth (MPD)

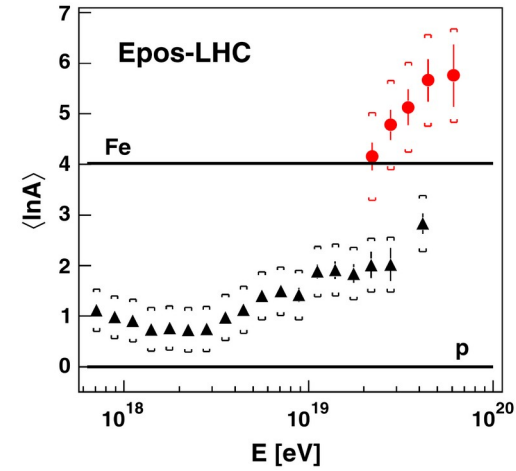
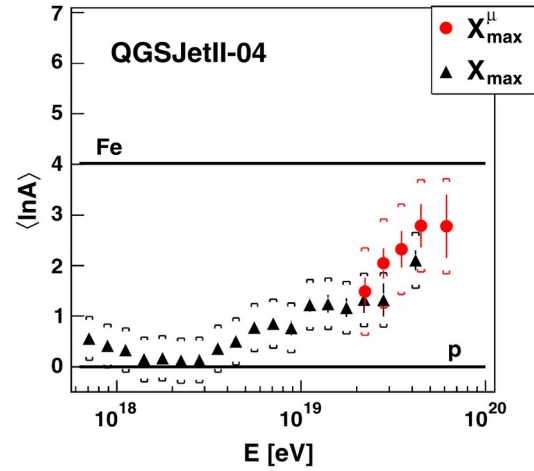
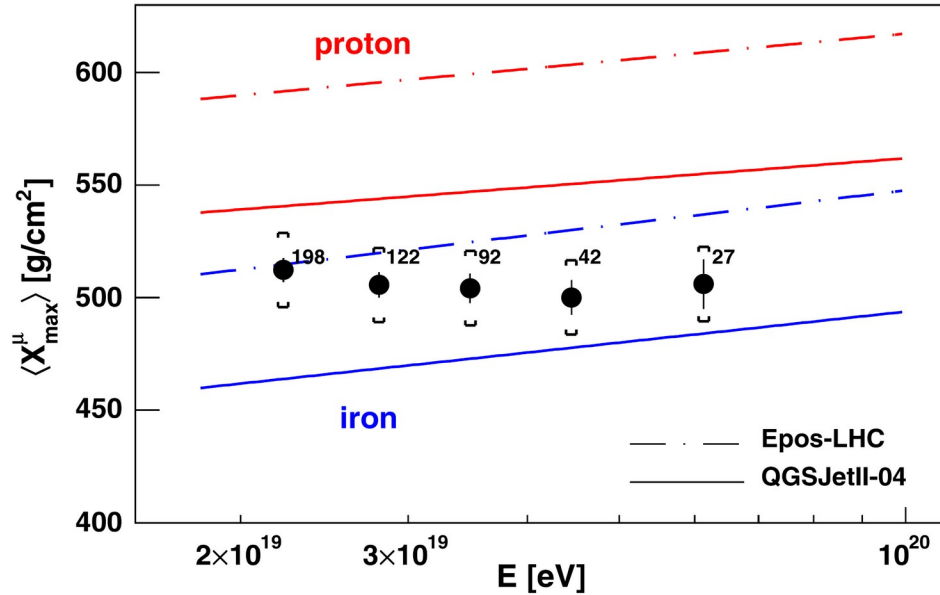


- Arrival time of muons encodes their production depth
- Modeling the muon delay allows to map the arrival time into production depth



- Cuts to minimize EM contamination and dependence of MPD with  $r$
- Showers with  $E > 10^{19.3}$  eV and  $55^\circ < \theta < 65^\circ$
- Detectors with  $r > 1700$  m
- Signal bins  $> 15\%$  of trace maximum
- Gaisser–Hillas fit to MPD  $\rightarrow X^\mu_{\max}$

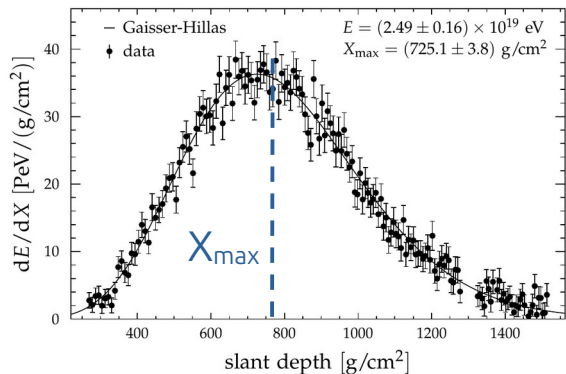
# Measurement of $X_{\mu}^{\max}$



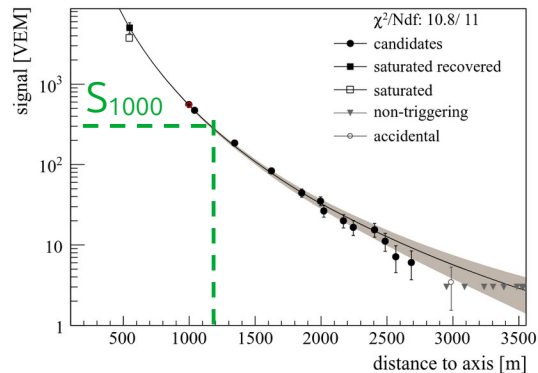
- $X_{\max}^{\mu}$  favors an evolution towards increasing mass with energy
- EPOS-LHC in tension with  $X_{\max}$  mass composition ( $>2.5\sigma$ )
- QGSJetII-04 in agreement, but this model does not reproduce  $\sigma(X_{\max})$
- **None of the tested models reproduces  $X_{\max}$  and  $X_{\max}^{\mu}$  consistently**

# $(X_{\max}, S_{1000})$ rescaling

Measured with Fluorescence Detector

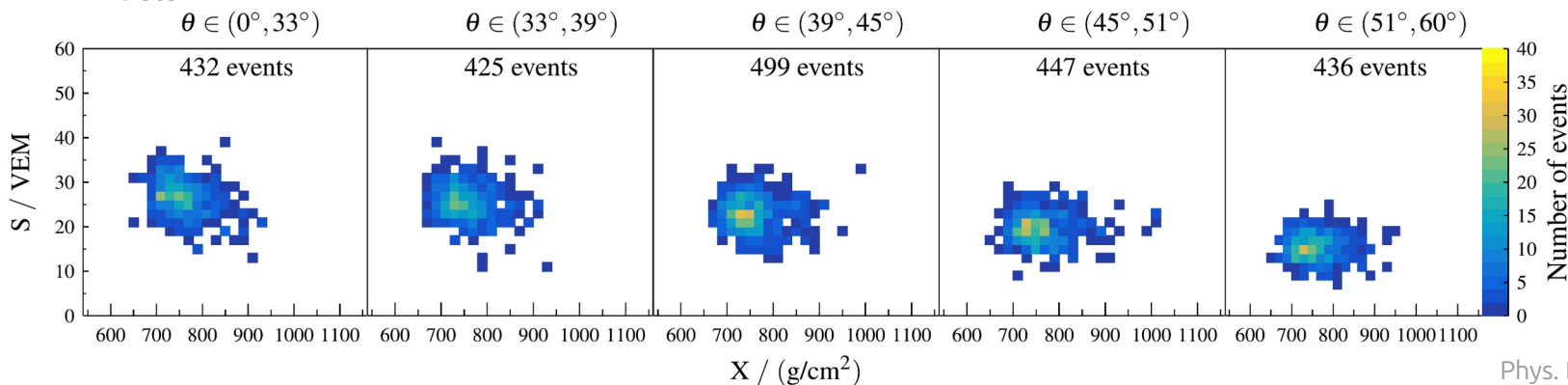


Measured with Surface Detector

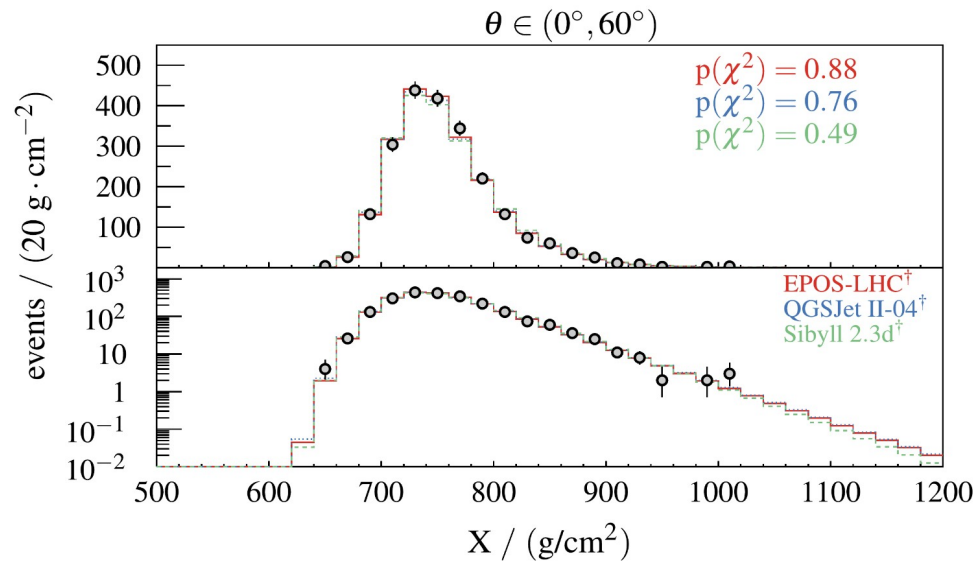


- Previous muon comparison relied on composition from  $X_{\max}$  → **what if  $X_{\max}$  scale itself is wrong?**
- 2239 high-quality hybrid events ( $10^{18.5} \text{ eV} < E < 10^{19} \text{ eV}$  and  $\theta < 60^\circ$ )
  - **FD** measures  $E$  and  $X_{\max}$
  - **SD** measures  $S_{1000}$  (signal at 1000 m from the core)
- Can models reproduce the joint  $(X_{\max}, S_{1000})$  distribution?
  - Produce MC template of joint  $(X_{\max}, S_{1000})$  dist. for each (primary, model,  $\theta$ ), with 5  $\theta$  bins
  - Global fit of data to MC templates allowing for a **shift in MC  $X_{\max}$  scale ( $\Delta X_{\max}$ ) and rescaling of the hadronic ground signal ( $R_{\text{had}}$ )**

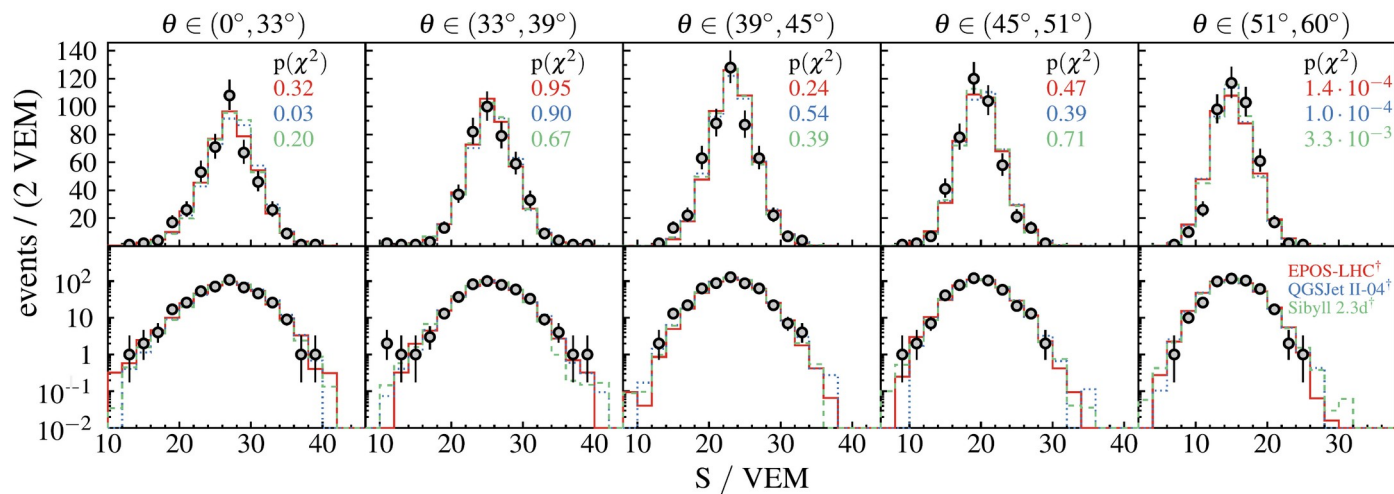
Data



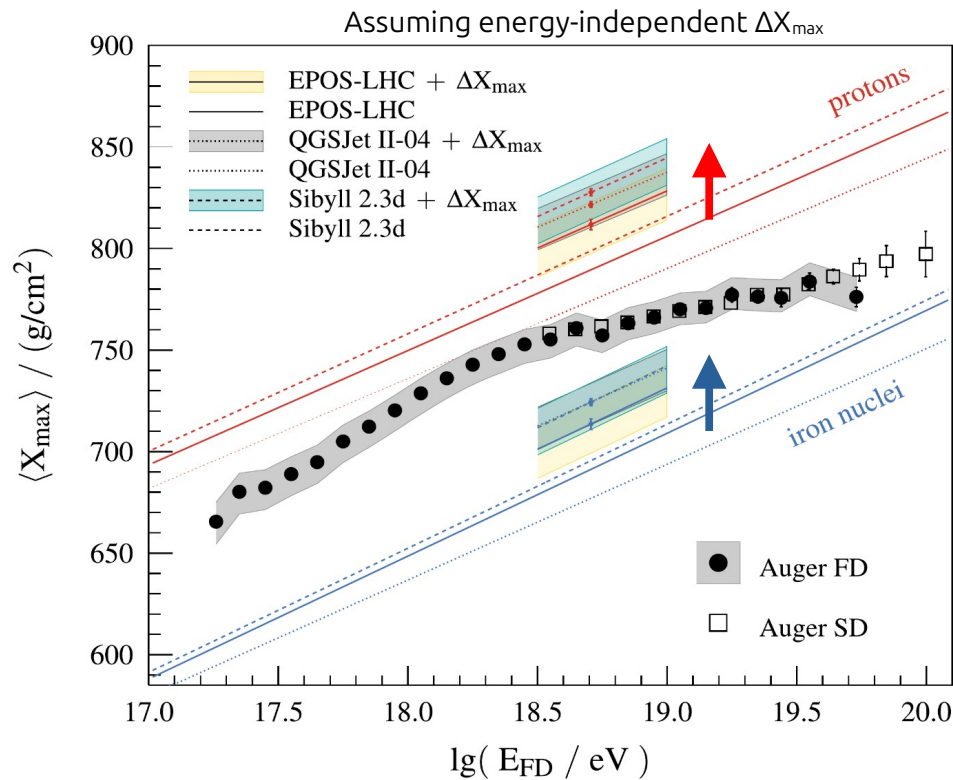
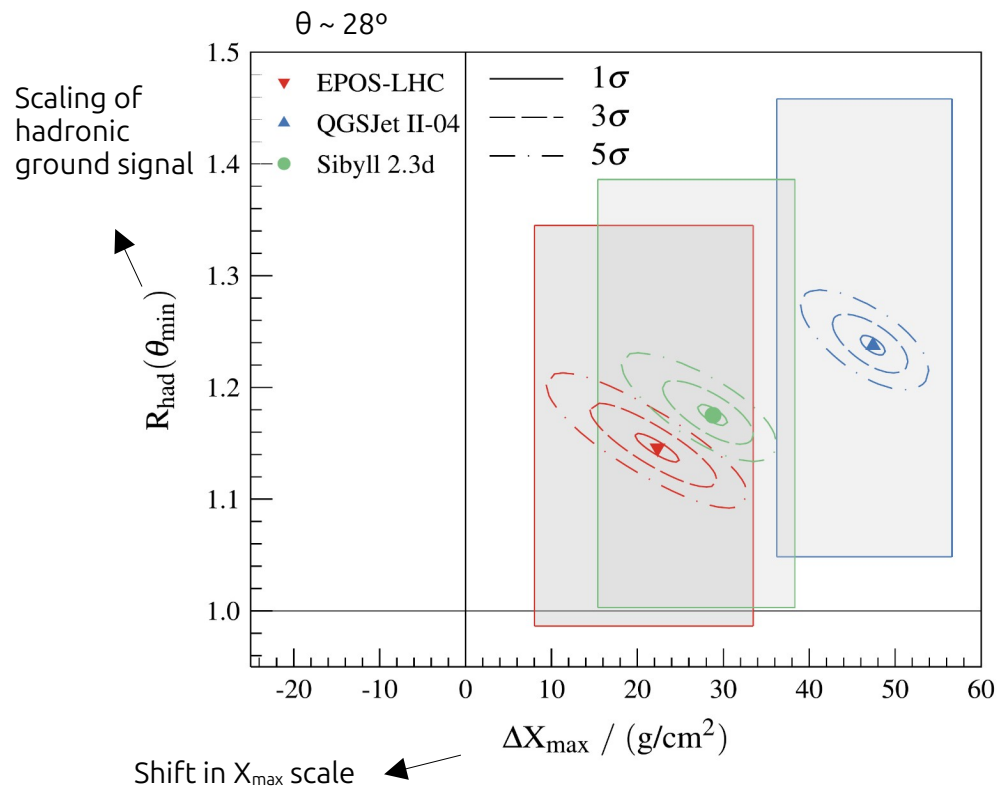
# $(X_{\max}, S_{1000})$ rescaling



- Simultaneously fit p, He, O, Fe fractions +  $\Delta X_{\max} + R_{\text{had}}(\theta)$ .
- Global 2D p-values fit: 10-30%
- After allowing  $\Delta X_{\max}$  and  $R_{\text{had}}(\theta)$ , all three models provide a successful **simultaneous description of the data** (fitting mass fractions alone does not describe well the data)



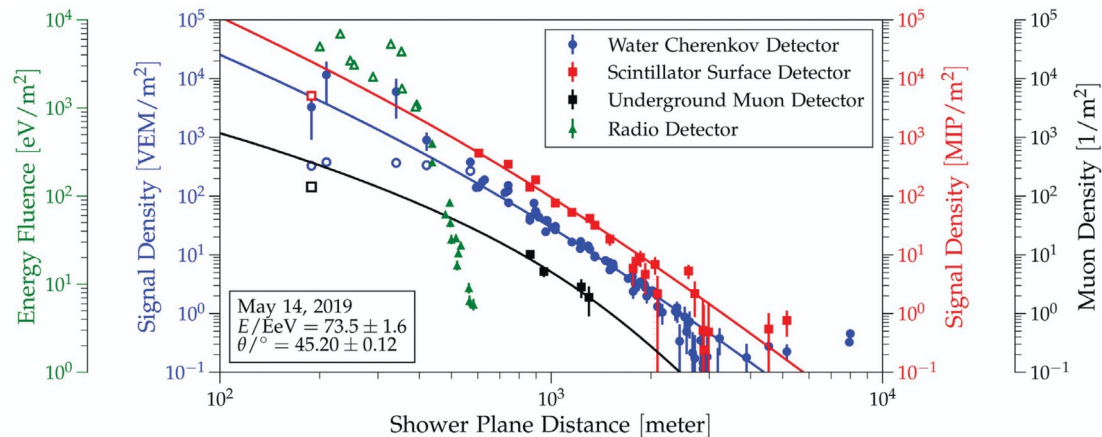
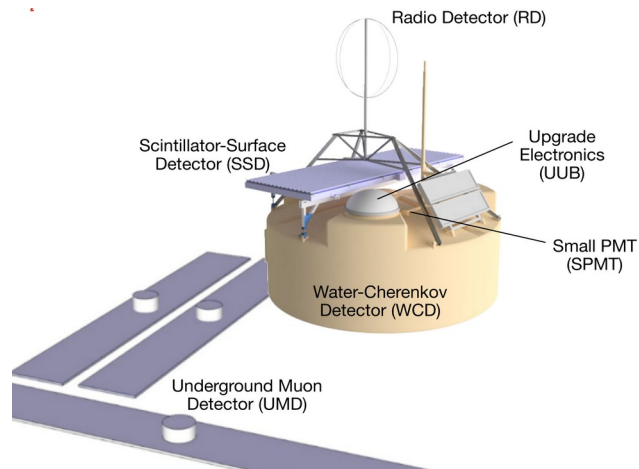
# $(X_{\max}, S_{1000})$ rescaling



- $X_{\max}$  scale in models needs to be **shifted (20-50)  $\text{g/cm}^2$  deeper**, and **hadronic ground signal needs to be scaled 15-25%** to better describe Auger Data ( $>5\sigma$  significance)
- The deeper  $X_{\max}$  scale implies a **heavier inferred composition, partially reducing (but not removing) the muon deficit**.

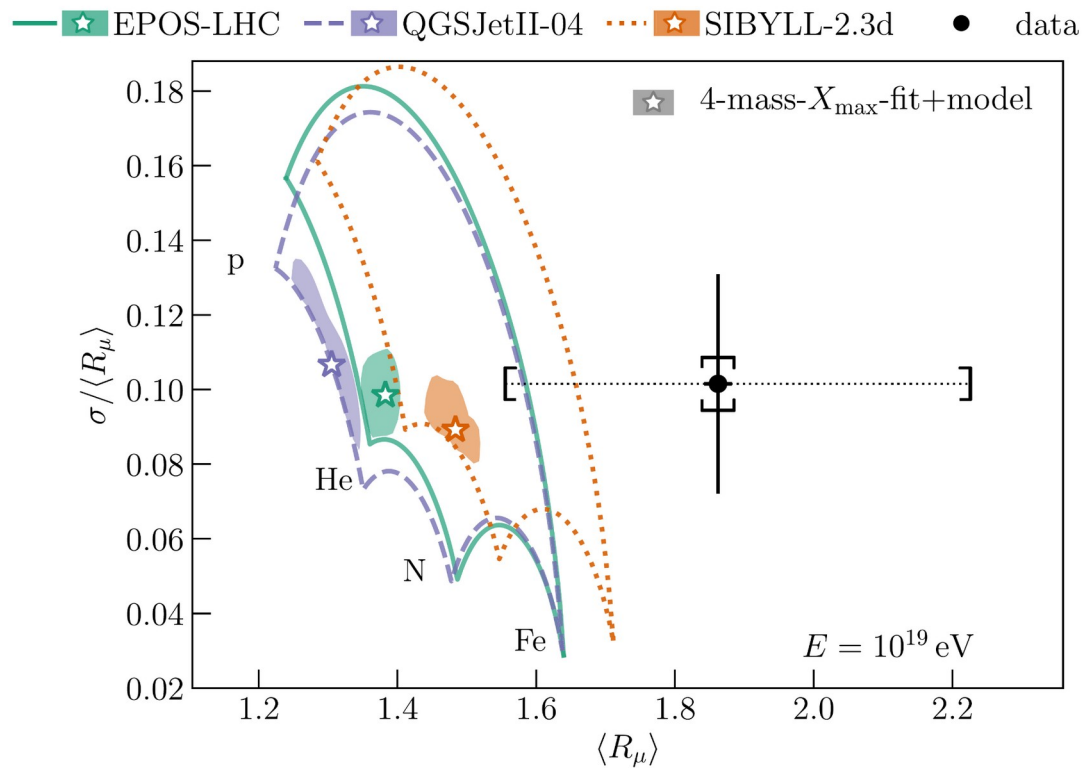
# Summary & Outlook

- The hybrid design of the Pierre Auger Observatory **probes hadronic interactions at energies beyond the Large Hadron Collider scale ( $\sqrt{s} \sim 100$  TeV)**
- Hadronic models fail to reproduce key air shower observables → modeling of ultra-high energy hadronic interactions remains incomplete
- The AugerPrime upgrade will enable new **multi-hybrid measurements**, allowing further testing and improvement of hadronic interactions → Stay tuned!



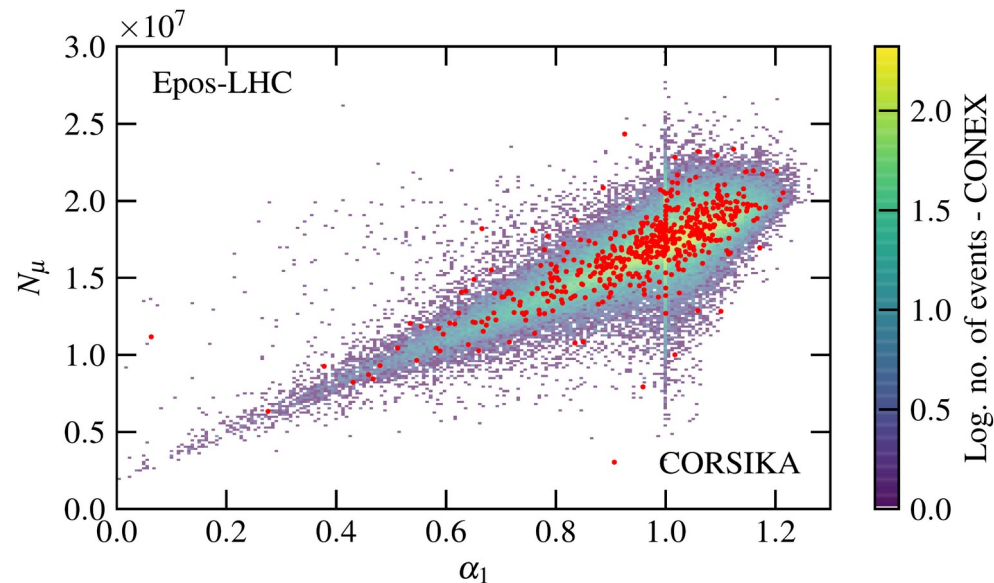
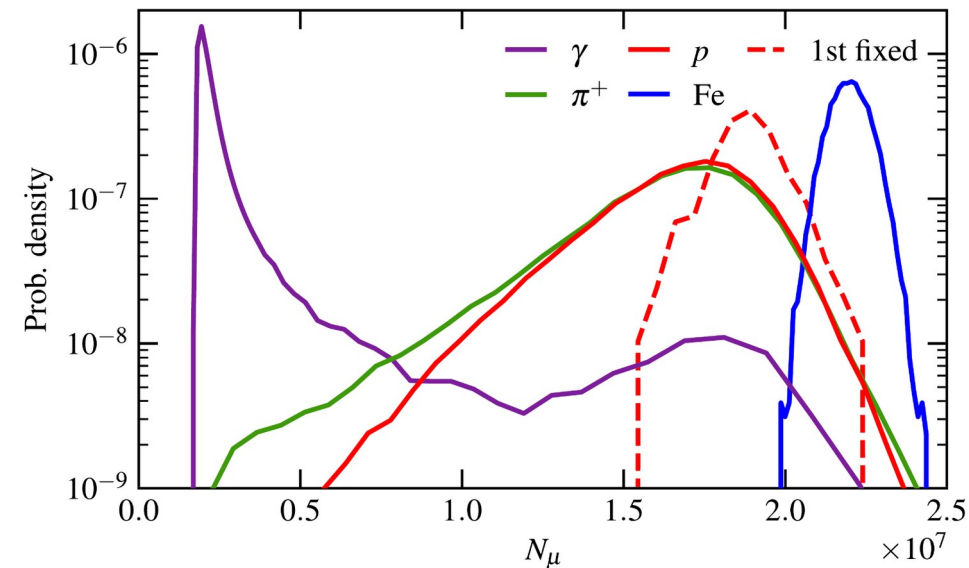
Backup slides

# $N_\mu$ : mean and fluctuations provide complementary constraints



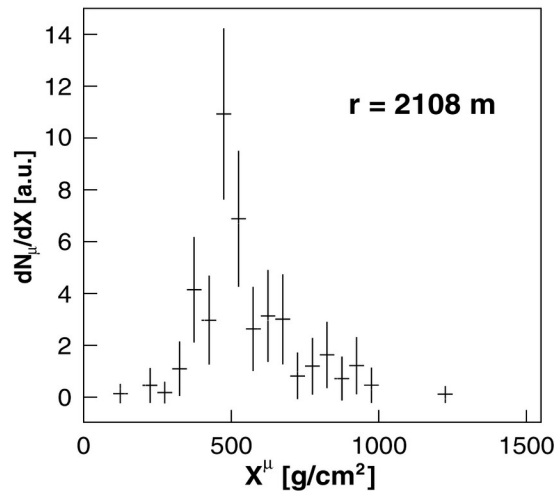
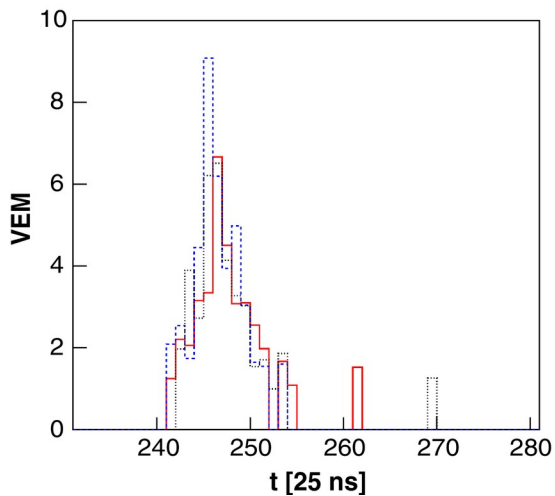
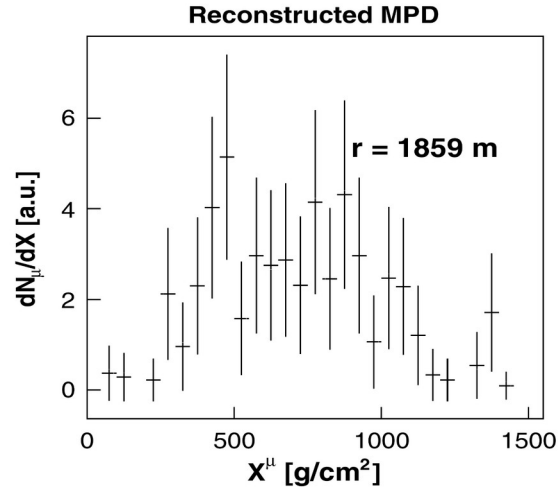
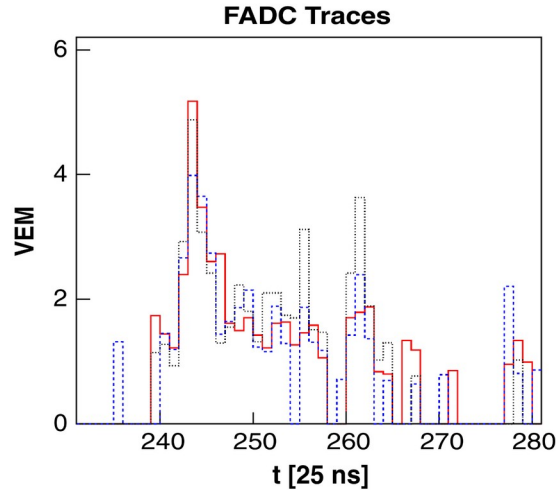
- Any p–He–N–Fe mixture lies within each contour (stars:  $X_{\max}$ -inferred composition)
- Data require a larger  $\langle N_\mu \rangle$ , but not larger relative fluctuations

# $N_\mu$ : Fluctuations and 1<sup>st</sup> interaction



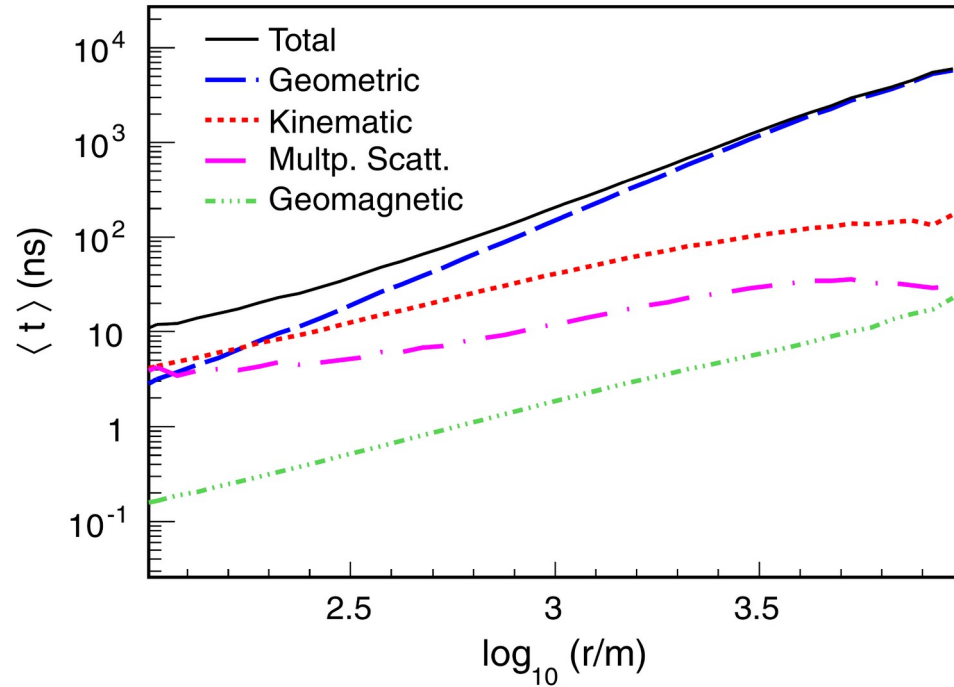
- Fixing 1<sup>st</sup> interaction reduces the fluctuations in  $N_\mu$  (mean unchanged) → first-interaction fluctuations dominate the shower-to-shower fluctuations of  $N_\mu$
- 1<sup>st</sup> interaction quantity:  $\alpha_1$  → modified fraction of the energy of 1<sup>st</sup> interaction that remains in the hadronic sector
- $\sigma(\alpha_1)$  explains ~70% of  $\sigma(N_\mu)$

# Reconstruction of Muon Production Depth (MPD)



- Contribution to the MPD of two detectors in the same event
- Only bins with signal  $> 15\%$  of the maximum are used for MPD reconstruction (minimizes EM contamination and ensures 85% muon purity)
- MPDs from all selected stations are combined into the event MPD

# Reconstruction of Muon Production Depth (MPD)



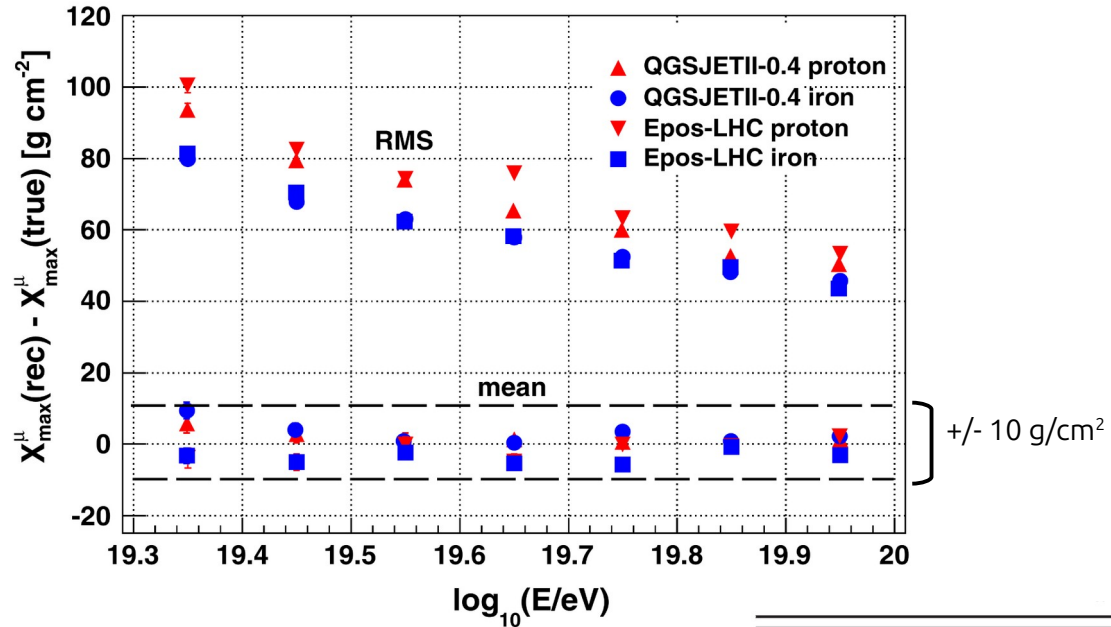
- Muon arrival time is determined by
  - Geometric delay → extra path length relative to a shower plane moving at  $c$
  - Kinematic delay → Correction due to sub-luminal velocity

- Multiple scattering → Coulomb scattering
- Geomagnetic deflection

Sub-dominant

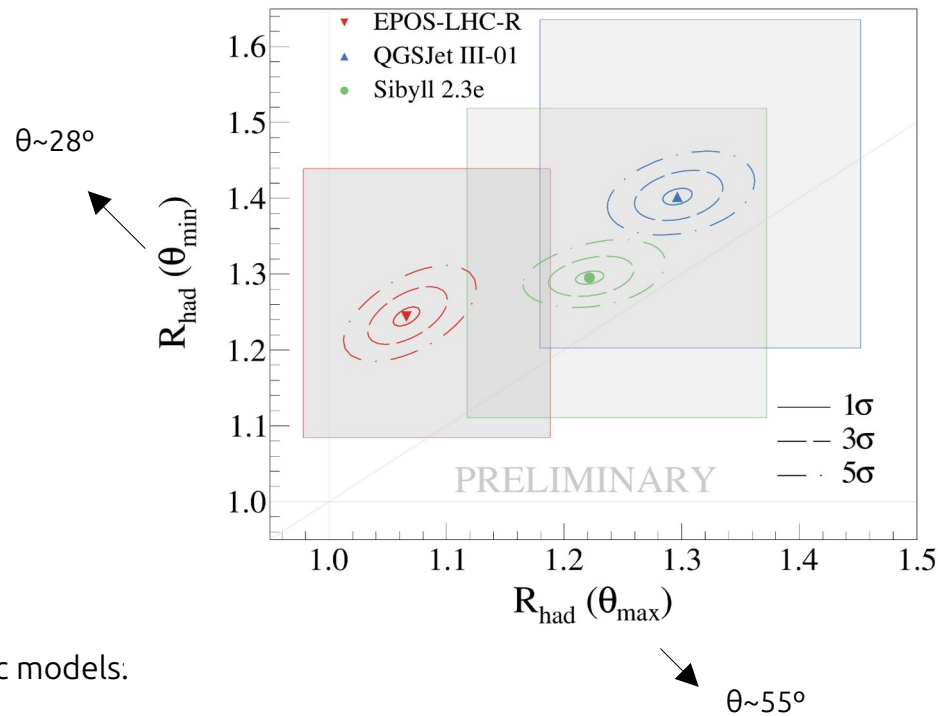
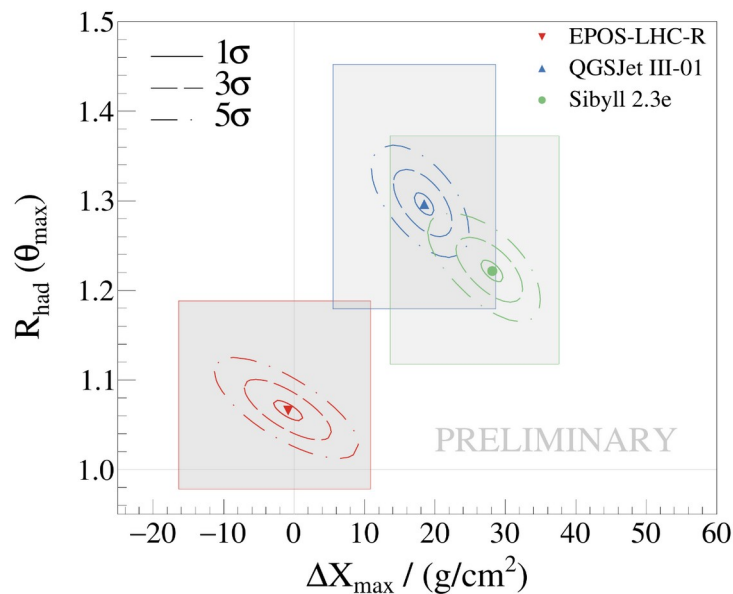
- For the selected geometry,  $t_{\text{geom}}$  dominates. After correcting the mean kinematic delay,  $t_{\text{geom}} \rightarrow z \rightarrow X_{\mu}$ .

# Reconstruction of Muon Production Depth (MPD): systematics



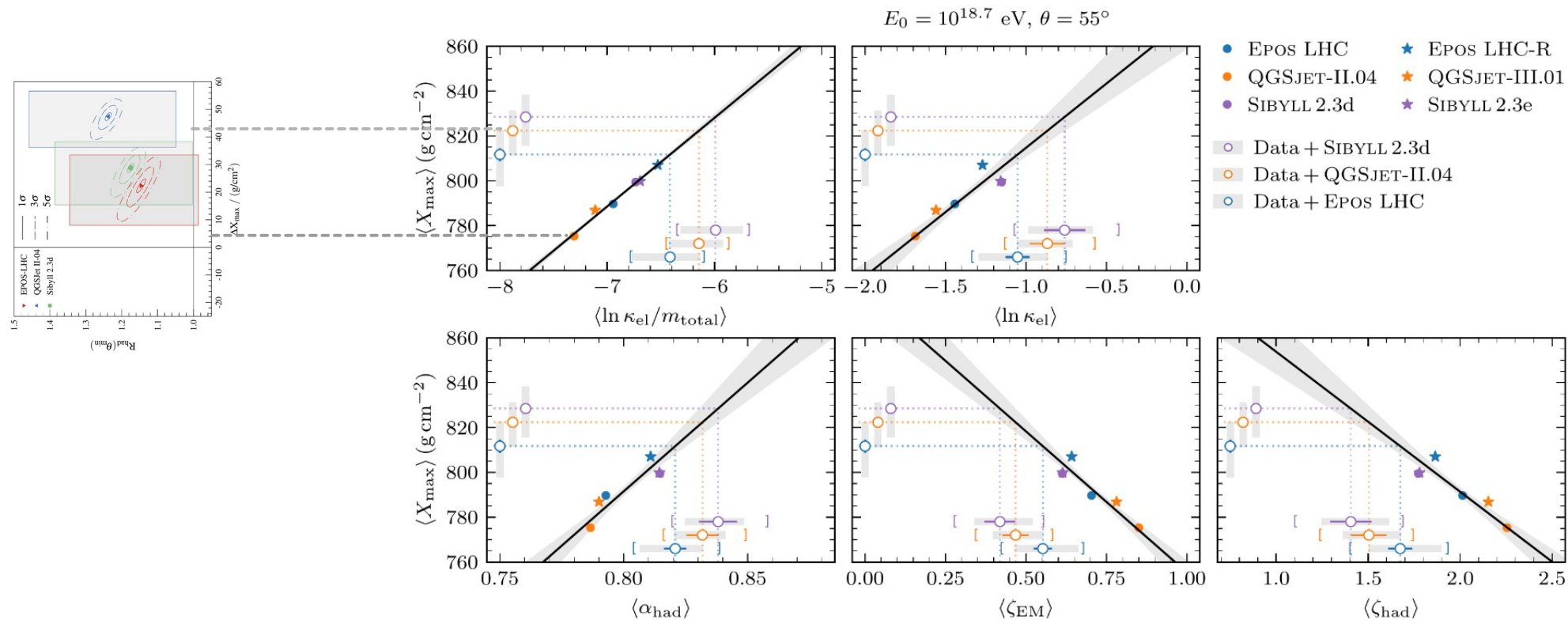
| Source                                     | Sys. uncertainty [ $\text{g/cm}^2$ ] |
|--------------------------------------------|--------------------------------------|
| Reconstruction, hadronic model and primary | 10                                   |
| Seasonal effect                            | 12                                   |
| Time variance model                        | 5                                    |
| Total                                      | 17                                   |

# $(X_{\max}, S_{1000})$ analysis with newest models (preliminary ICRC2025 update)



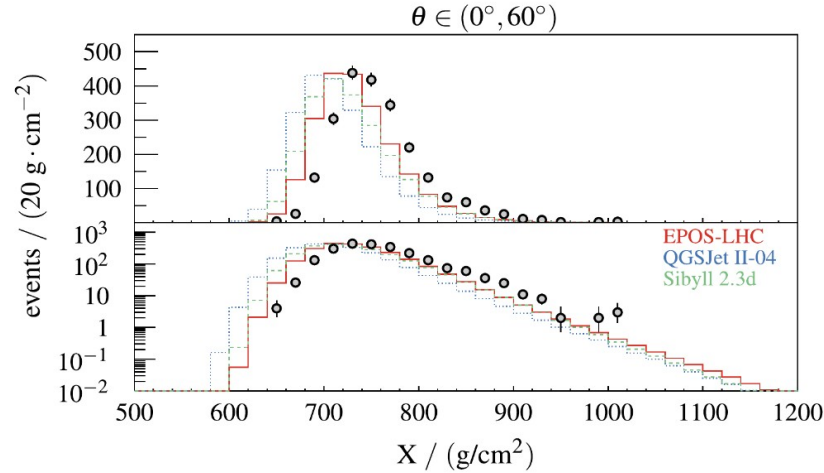
- Updated analysis:  $\sim 20\%$  more hybrid events + newer hadronic models:
  - EPOS-LHC-R, QGSJet III-01, Sibyll 2.3e
- New models improve the predicted  $X_{\text{max}}$  scale, but tensions remain**
  - EPOS-LHC-R:  $\Delta X_{\text{max}} \sim 0$ , but strong zenith dependence of  $R_{\text{had}} \rightarrow$  muon spectrum too hard
  - No significant energy dependence of  $\Delta X_{\text{max}}$  or  $R_{\text{had}}$

# Xmax shift: implications for the first interaction

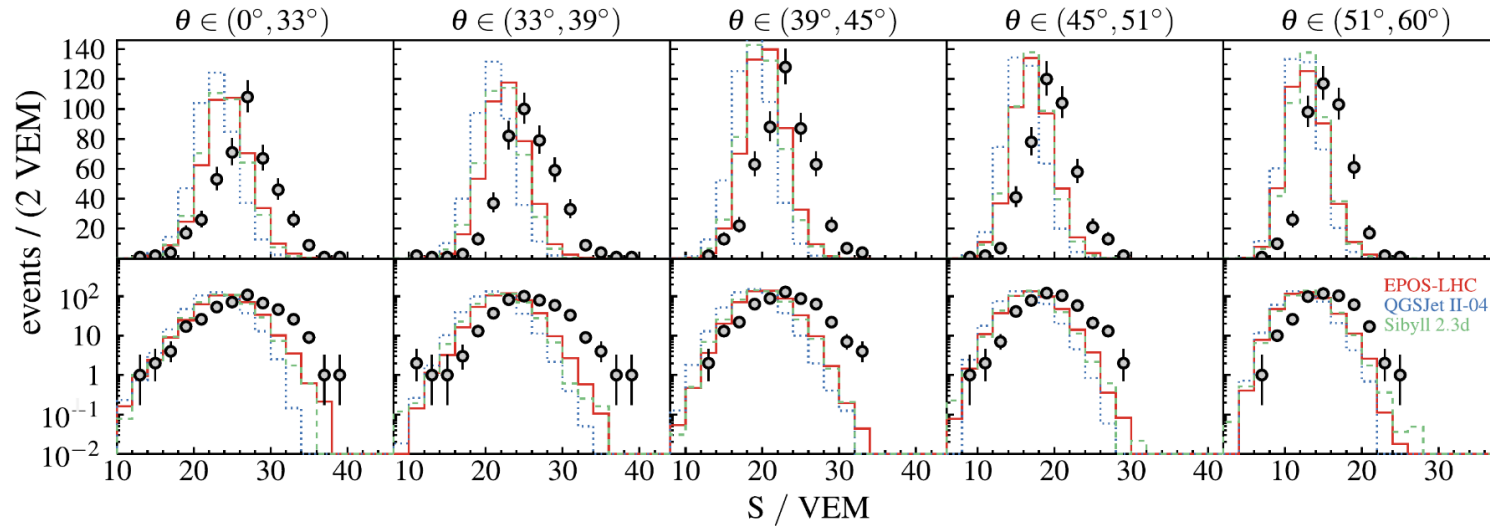


- There exists a universal relation between  $\langle X_{\text{max}} \rangle$  and variables related to the first interaction ( $\alpha_{\text{had}}, \kappa_{\text{el}}, \xi_{\text{had}}, \dots$ )  $\rightarrow$  use it to interpret the shift in  $X_{\text{max}}$  suggested by data
- Data suggests that models need **higher elasticity** and **fraction of hadronic energy** in 1<sup>st</sup> interaction

# $(X_{\max}, S_{1000})$ rescaling: fits without shifts



- Only fitting the mass fractions ( $f_p, f_{\text{He}}, f_o, f_{\text{Fe}}$ ) without modifying  $X_{\max}$  or  $S_{\text{had}}$  scale (with  $f_p + f_{\text{He}} + f_o + f_{\text{Fe}} = 1$ )
- Composition alone cannot describe the data → **model-scale shifts are required**



# $(X_{\max}, S_{1000})$ rescaling: fit details

- $X_{\max}$  and  $S_{1000}$  of each event is corrected for the energy evolution
  - $X = X_{\max} + D \lg(10^{18.7} \text{ eV} / E_{\text{FD}})$
  - $S = S_{1000} (10^{18.7} \text{ eV} / E_{\text{FD}})^{1/B}$
- Six free fit parameters:
  - 3 mass fractions ( $f_p, f_{\text{He}}, f_{\text{O}}, f_{\text{Fe}} = 1 - f_p - f_{\text{He}} - f_{\text{O}}$ )  $\rightarrow$  independent of  $E$  and  $\theta$
  - 2 hadronic scaling factors ( $R_{\text{had}}(\theta_{\min}), R_{\text{had}}(\theta_{\max})$ )  $\rightarrow$  interpolated linearly in  $X_{\text{atm}} - X_{\max}$ .
  - 1  $X_{\max}$  shift  $\Delta X_{\max} \rightarrow$  independent of primary,  $E$  and  $\theta$
- Shifts in  $X_{\max}$  also influence the signal at 1000 m
  - if  $X_{\max}$  is deeper, shower maximum is closer to ground and more particles reach the ground, increasing  $S_{1000}$
  - $R_{\text{had}}$  rescales  $S_{\text{had}}$  only,  $\Delta X_{\max}$  also changes  $S_{\text{had}}$  and  $S_{\text{em}}$
- Goodness of fit: p-values obtained from 500 MC pseudo-experiments (2239 events each) generated with the best-fit composition and modifications; the data  $\ln L_{\min}$  is compared with the MC distribution

